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SEAT No. :

P5486

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**BE/Insem./Oct.-58**  
**B.E. (Electrical) (Semester - I)**  
**CONTROL SYSTEM - II**  
**(2012 Pattern)**

*Time : 1 Hour]*

*[Max. Marks : 30*

*Instructions to the candidates:*

- 1) *Solve Q.1 or Q.2, Q.3 or Q.4, Q.5 or Q.6.*
- 2) *Figures to the right indicate full marks.*
- 3) *Assume suitable data, if necessary.*

**Q1) a)** Design a phase Lag compensator for a system whose open transfer function is **[8]**

$$G(s) = \frac{5}{s(1+0.1s)(1+0.3s)}$$

So that its phase margin will be  $50^\circ$ .

b) Draw electrical network for lead compensator; as well as Lag compensator. **[2]**

OR

**Q2) a)** Compare characteristics of all three types of compensators. **[6]**

b) Derive transfer function of Lag-Lead compensator. **[4]**

**Q3) a)** Obtain Canonical state model for **[6]**

$$T(s) = \frac{s+5}{(s+1)(s+2)(s+3)}$$

b) Derive an expression of Transfer function from its state model. **[4]**

OR

*P.T.O.*

**Q4) a)** Find State Transition Matrix (STM) for the system [6]

$$\begin{bmatrix} \dot{X}_1 \\ \dot{X}_2 \end{bmatrix} = \begin{bmatrix} -3 & 1 \\ 0 & -1 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix}.$$

b) Show that solution of Non-homogeneous state equation consists of Zero Input Response (ZIR) & Zero State Response (ZSR). [4]

**Q5) a)** Find state feedback gain matrix K for the given system to place poles at desire location of  $-3$ ,  $-4$  and  $-5$ . [6]

$$\dot{X}(t) = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -6 & -11 & -6 \end{bmatrix} x(t) + \begin{bmatrix} 0 \\ 0 \\ 5 \end{bmatrix} u(t)$$

$$Y(t) = [100] x(t).$$

b) Explain effect of pole zero cancellation on controllability & observability of the system. [4]

OR

**Q6) a)** Explain various methods of evaluation of state observer gain matrix  $K_e$ . [6]

b) For a given system determine observer gain matrix for desired poles at  $S = -5$  and  $S = -5$ . [4]

$$\dot{X} = Ax + Bu \quad Y = Cx$$

$$\text{Where } A = \begin{bmatrix} -1 & 1 \\ 1 & -2 \end{bmatrix}; C = [1 \ 0].$$

